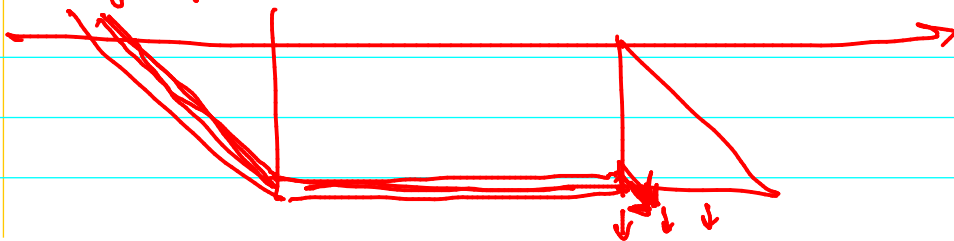


$m \times w$

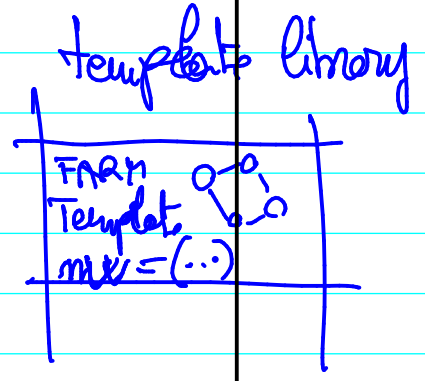
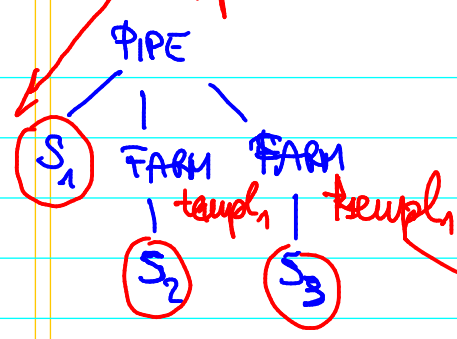
$\frac{T_c}{m \times w}$

*fixed pipeline stages*

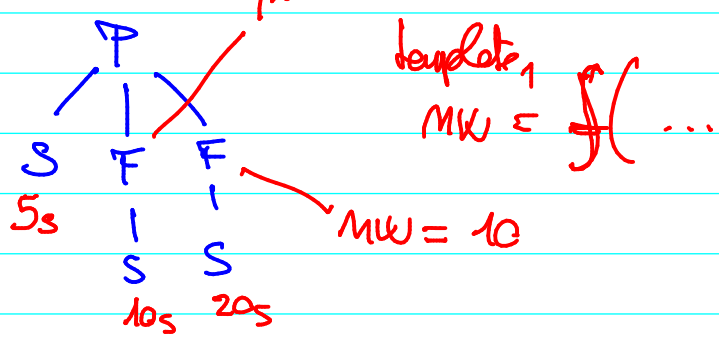




④ top down #PE = K = 10

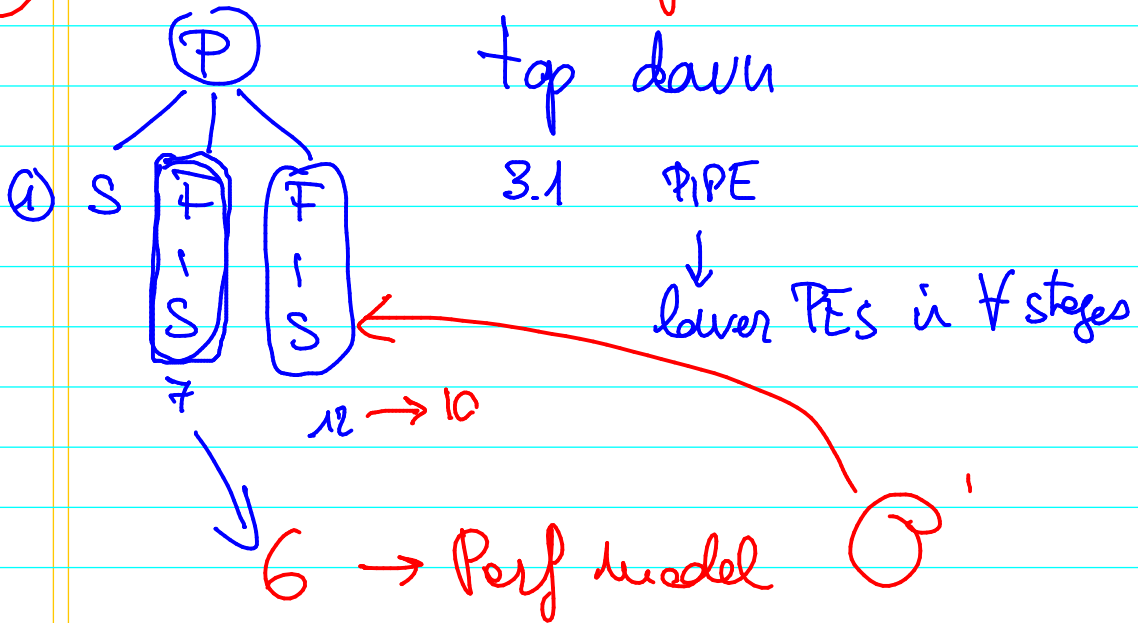


② bottom up MW = 5



count resources	1	stage 1	} 20 PE me
	7	stage 2	
	42	stage 3	

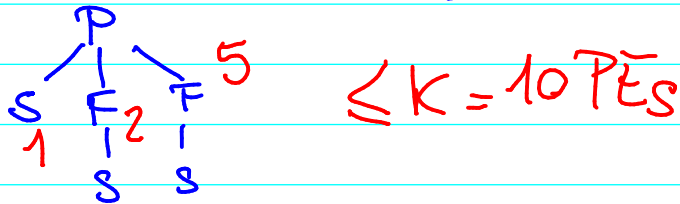
# ③ Reduction (PEs) process



3.2 compute PEs  
17

3.3 loop

eventually (after iterating the step 3)



Compile

PGM

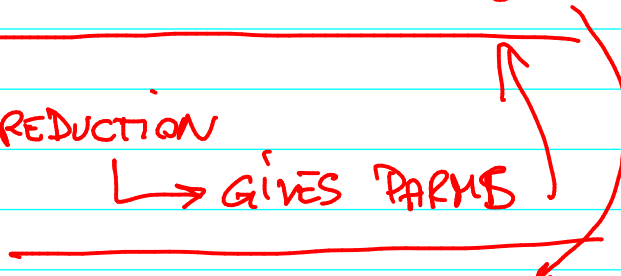


PARAMETRIC OBJ CODE

Deploy

REDUCTION

↳ GIVES PARAMS



OBJ CODE

( SENT TO REMOTE  
PES )

RUN TIME

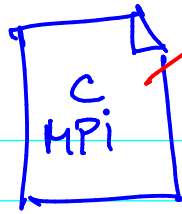
EXECUTION

C'

7

MPI

SPMD



```
main( ) { switch  
  to  
  P1  
  } }
```

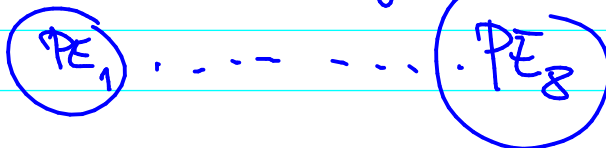
mpicc

object code

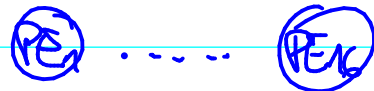


mpirun -np 8

↓ deploy



mpirun -np 16



$$MW = f\left(\begin{array}{c} \dots \\ \uparrow \\ T_{seq_1} \quad T_{seq_2} \quad T_{seq_3} \end{array}\right)$$

sample inputs  $\langle x_1 x_2 x_3 \rangle$

sample runs

$$T_{seq_1} = \overline{t_{x_1} + t_{x_2} + t_{x_3}}$$

$T_{seq_2}$

Ask the user

↳ approximate times

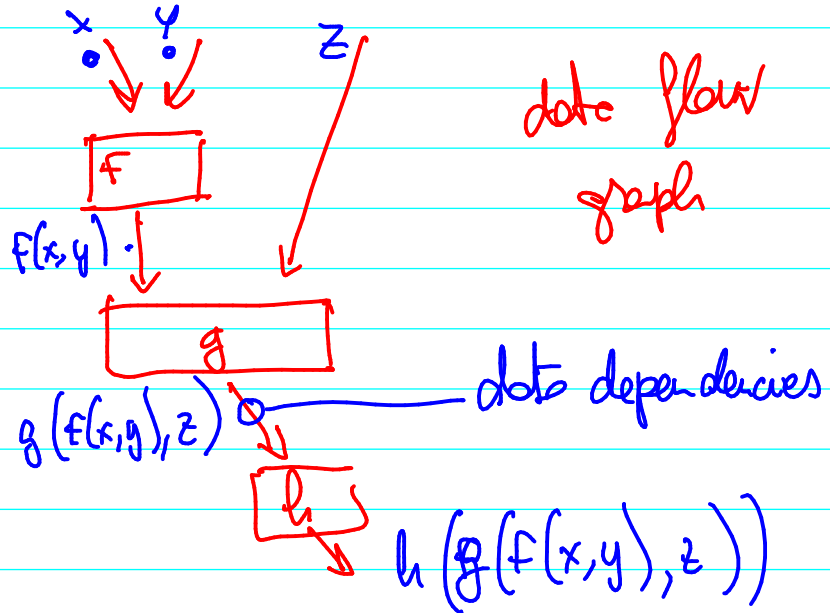


# DATA FLOW

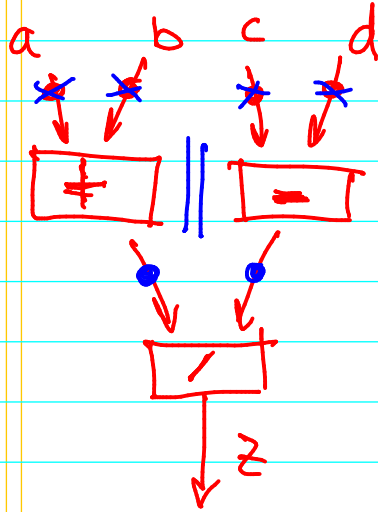
FIREABLE  
INSTRUCTION  
(NODE)

=

node with  
all inputs  
available



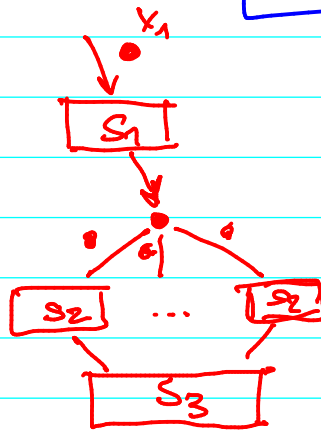
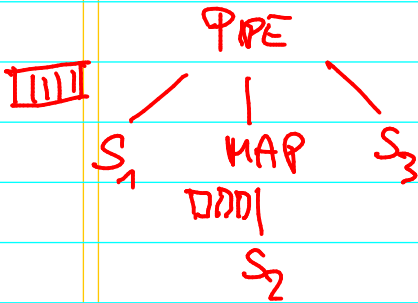
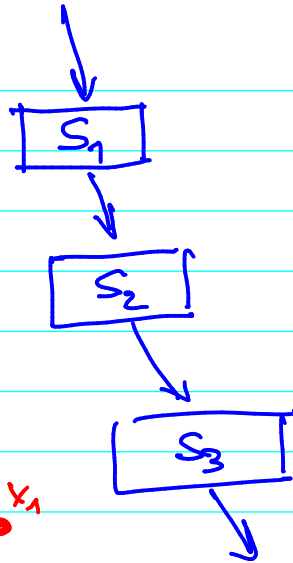
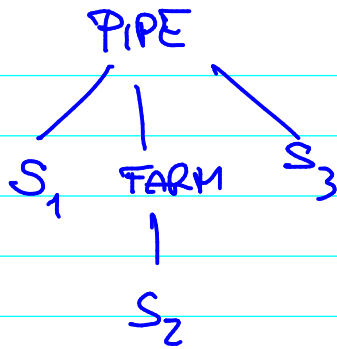
$$z = (a+b) / (c-d)$$



```

main( ) {
  int a, b, c, d;
  a = read( )
  b =
  c =
  d =
  z = (a+b) / (c-d)
  printf( "z");
}

```



} can be done in parallel

12  
 $x_2x_1$   
→

Loop:

- ① find fireable instructions
- ② send to a 'free' remote PE
- ③ loop



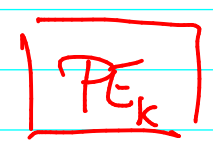
DISTRIB (MACRO)  
DATA FLOW  
INTERPRETER



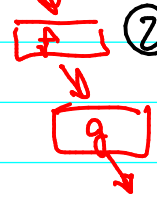
in PAR

Loop: receive from remote PE a result

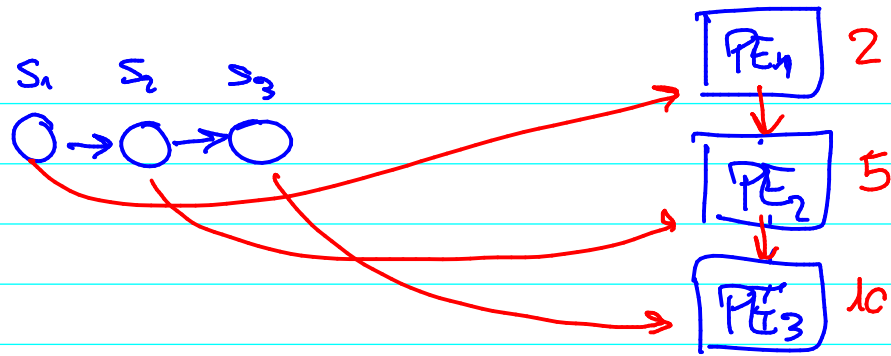
- ① →
- ② store in the right place in the graph



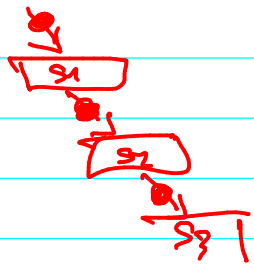
Compiled program



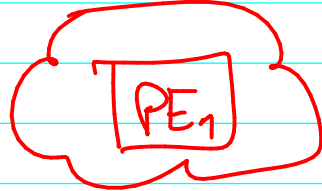
# TEMPLATE



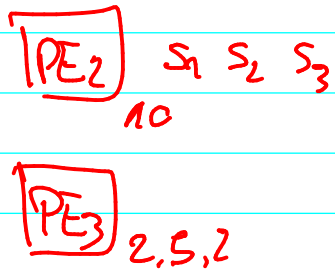
# MACRO DATA FLOW

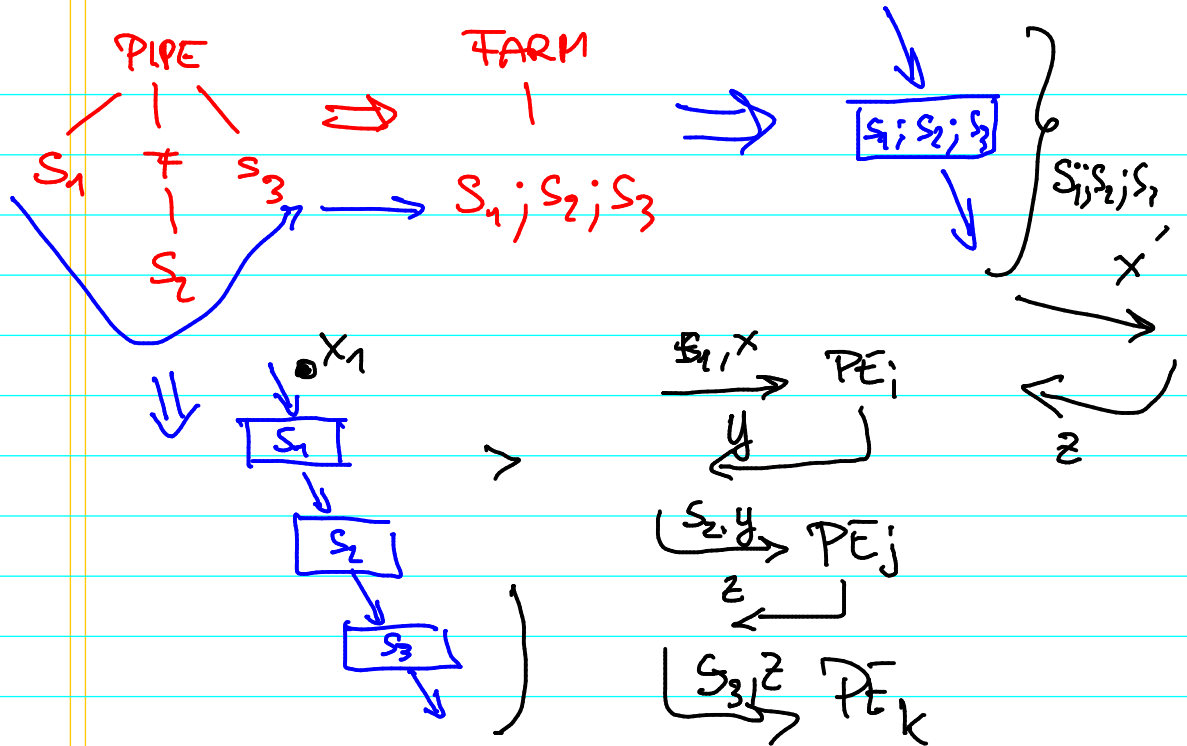


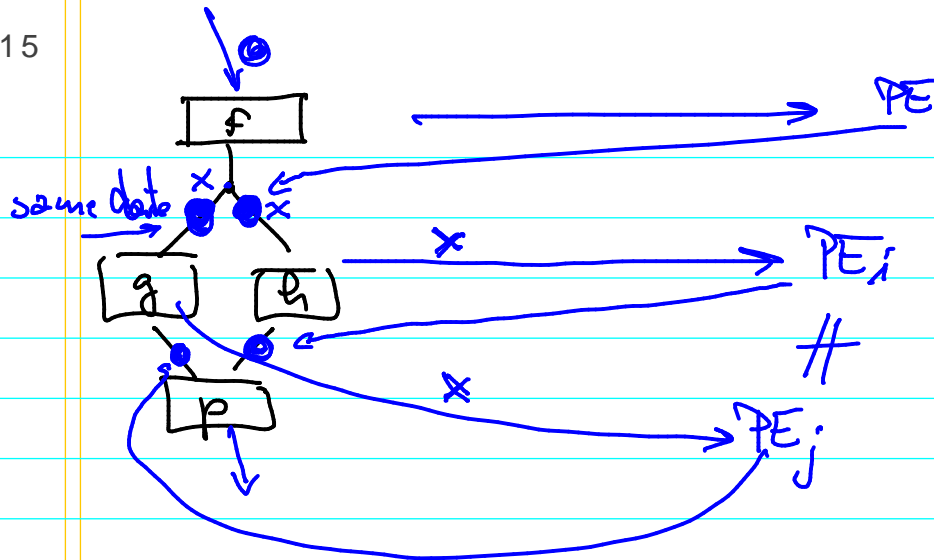
# TASK GRAPH



# REMOTE INTERPRETERS







- 1) send  $h, x$  to  $PE_i$   
 $x$  (cacheable)
- 2) send  $g, x$  to  $PE_i$   
 $\rightarrow$  reference

