

Efficiency

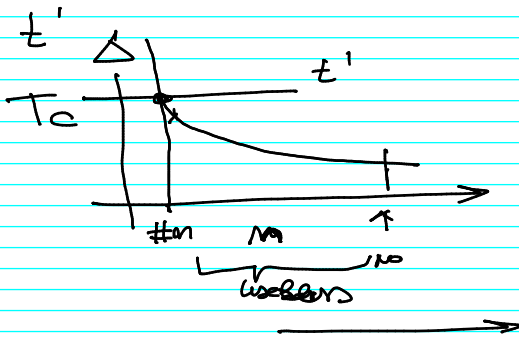
$$\epsilon(m) = \frac{T_{id}(m)}{T(m)} \quad \leftarrow \text{ideal}$$

$$T_{id}(m) = \frac{T_{seq}}{m}$$

$$\epsilon(m) = \frac{T_{seq}}{m T(m)} = \frac{sp(m)}{m}$$

good ϵ 85% - 99%

$$\epsilon(1) = 1 = \frac{T_{id} = T_{seq}}{T(1) = T_{seq}} = 1$$



$$\epsilon'(m) > \epsilon''(m)$$

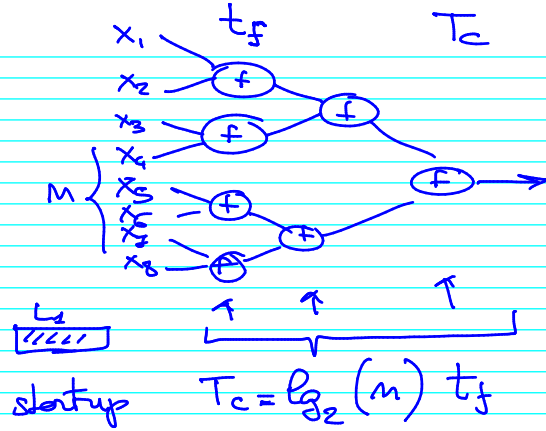
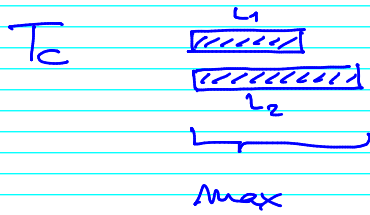
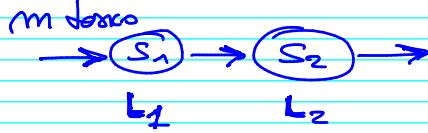
$$\frac{T_{seq}}{T'(m)} > \frac{T_{seq}}{T''(m)} \Rightarrow$$

$$\frac{1}{T'(m)} > \frac{1}{T''(m)} \Rightarrow T'(m) < T''(m)$$

MOTIVATIONS

STRICT. PROC ENV

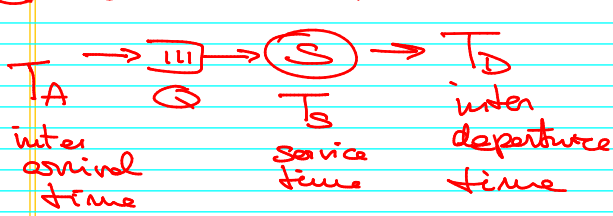
→ declared



$$T_c = L_1 + m(\max\{L_2, L_3\})$$

QUEUE THEORY

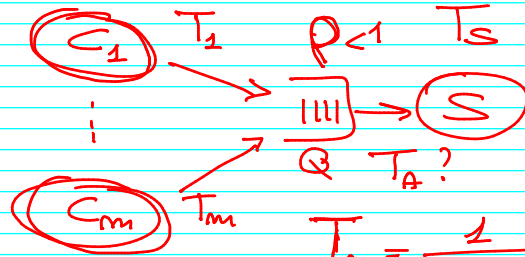
QUEUE THEORY



$$\rho = \frac{T_S}{T_A}$$

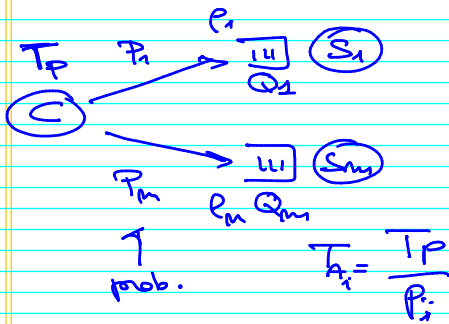
$\rho > 1 \Rightarrow$ queue grows

$\rho < 1 \Rightarrow T_D = T_A$



$$T_A = \frac{1}{\sum_{i=1}^m \frac{1}{T_i}}$$

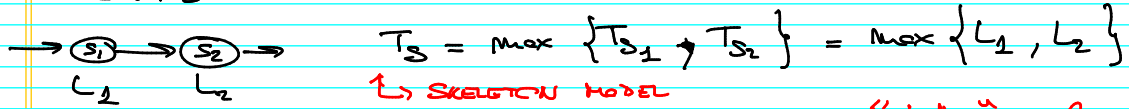
$$T_A = \frac{1}{\sum_{i=1}^m \frac{1}{T_i}} = \frac{1}{\frac{m}{T_w}} = \frac{T_w}{m}$$



KIND & USAGE OF PERF MODELS

KIND $\left\{ \begin{array}{l} \text{SKELETON} \\ \text{TEMPLATE} \\ \text{ARCHITECTURE} \end{array} \right.$ MODELS

PIPELINE



"bottom" implementation model

$$\begin{array}{c}
 T_{comm\ in} \\
 + \\
 L_1 \\
 + \\
 T_{comm\ out}
 \end{array}
 \quad
 \begin{array}{c}
 T_{comm\ in} \\
 + \\
 L_2 \\
 + \\
 T_{comm\ out}
 \end{array}
 \quad
 T_g = \max \left\{ T_{comm\ in} + L_2 + T_{comm\ out}, T_{comm\ in} + L_1 + T_{comm\ out} \right\}$$

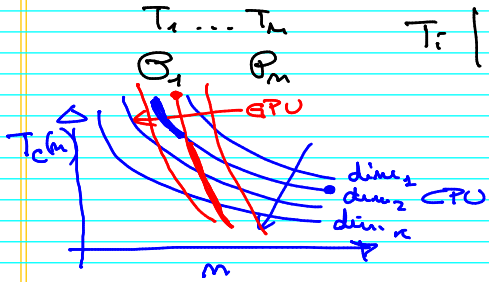
\uparrow TEMPLATE MODEL

$$T_{comm}(d) = t_0 + t_1 \cdot d$$

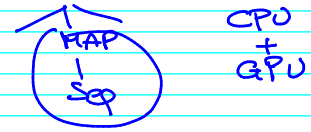
\uparrow ARCHITECTURE MODEL
 \uparrow dim of msg
 \uparrow inverse of the network bandwidth

COMPILE TIME USAGE

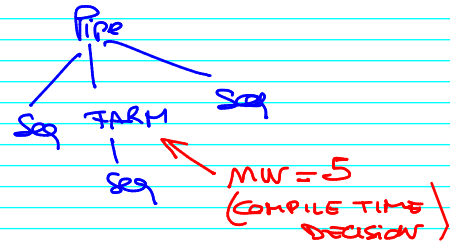
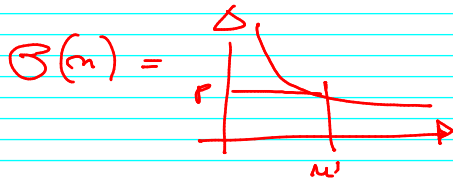
template choice



COMPARING ALTERNATIVES



RUN TIME USAGE



t →

↑
extra
load

RUNTIME

- 1) OBSERVE Θ
- 2) COMPARE WITH THEORETIC ONE
- 3) ADAPT MW=8 ?

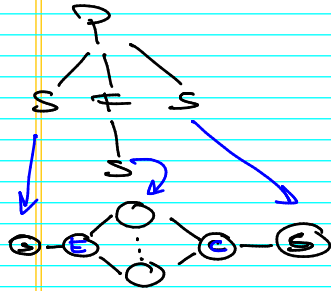
POST RUN TIME USAGE



→ tree of templates (perf models)

RUN PGM

+ COLLECT MEASURES



BEFORE TERMINATION:

- 1) CONSULT THE σ MODELS
- 2) OBSERVE DIFFS
- 3) TRY TO FIGURE OUT REASONS

OBSERVE (BY MONITORING)

T_{S1} T_E T_W T_C T_{S3}

DIFF?

$T_E \gg T_W$

usually $T_E = \frac{T_W}{nw}$

→ TELL the user (application programmer)

:"PLEASE REMOVE FARM"

"CALCIUM" (PROACTIVE) JAVA

↓
"SKANDIUM"

ACCURACY OF PERF MODELS

VERY ACCURATE MODELS

APPROXIMATE MODELS

MUCH LONGER & MORE COMPLICATED WRT SIMPLER FORMULAS

EXPECTATION: MORE PRECISE MODELS

INTRODUCE COMPLEXITY

BEING ROOTED ON THE SAME PARAMS (SEQ TIME ESTIMATE)

TIME

$$T_c \approx m \max\{T_{sx}\}$$

#tasks

FARM

$$T_c \approx T_w \left(\frac{m}{m_w} \right)$$