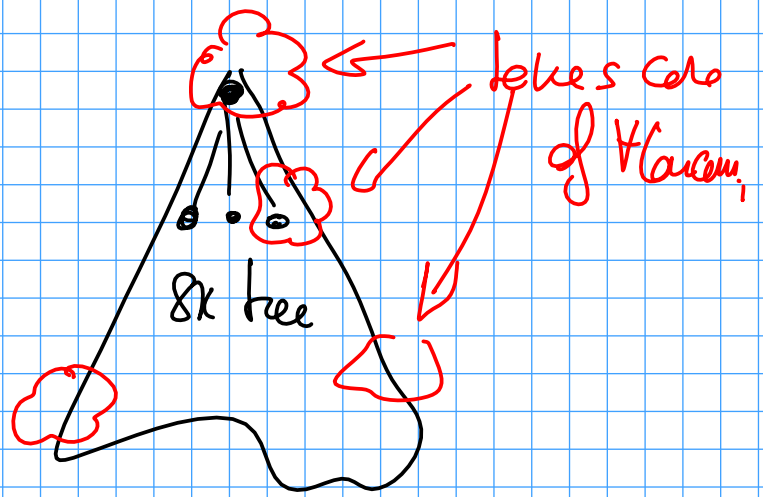


Behavioral relations

$\text{Concern}_2 \quad \dots \quad \text{Concern}_n$
 $\{ \text{experts} \}_1 \quad \{ \text{experts} \}_n$
 $\{ \}_i \cap \{ \}_j \cong \emptyset$



linear combination of ^{all} the measures relative to different concerns

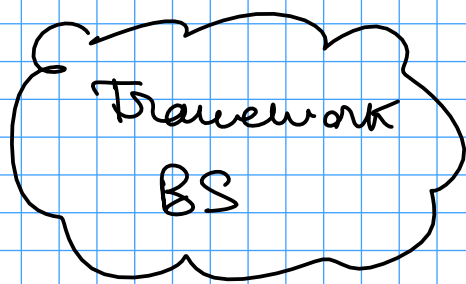
Power (#PE, consumption_i, ...) $\in [1 : 1000W]$

Performance (#PE, 8x tree, cum. bandwidth, $\in [1 : 1000]$ GFlops, $\in [100 : 500]$ max. power of the nodes, ...)

\forall concern c_i : $f_{c_i}(p_1 \dots p_n)$ $p_1 \dots p_n$ parameters bw, sw

$\min \sum f_{c_i}(\dots)$ $\min \sum a_i f_{c_i}(\dots)$

What about "backbone" concerns?
 e.g. security



→ write structured parallel programs
→ write rules as "manager programs"

expert may use:

{ actuator₁ ... actuator_n }
{ sensor₁ ... sensor_n }

different ("disjoint") set of experts
⇓

each one gives good policies for
their own managed area



Need coordination
among these policies

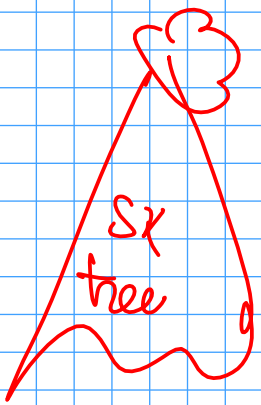
how can I decide that

Decision i
made by
 MAR_k

is in contrast
or fits

Decision j
made
 MAR_l ?

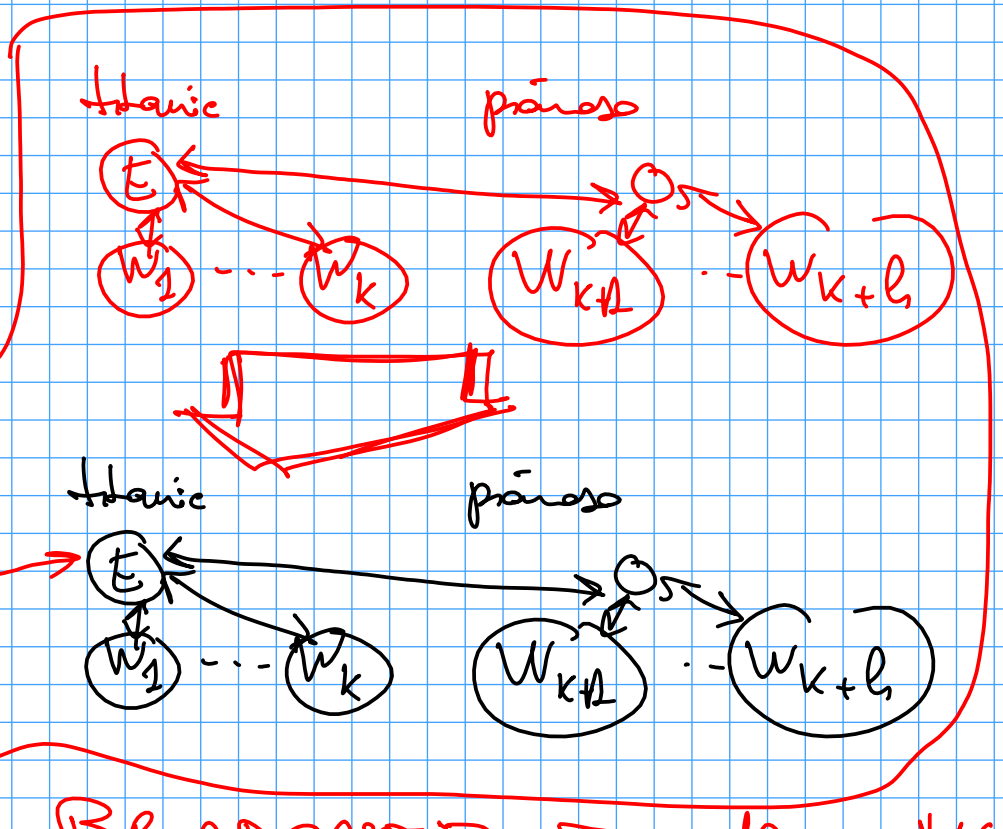
which is the common ground I can use to
evaluate the decisions?



low SW conf's

graph of the
"machines" used
(core, GPU, PS)
with the comm. channels

decision
"MW++"
taken by
 MAR_{perf}



BROADCASTED to other MAR_i

MHR power

OK
NOK

OK provided ... properties

$ok(mw++)$ but the new PE.
running the worker should
consume less than
k WATTS

New Power

$P_i ::$ precondition
(time)

plan
 $a_1; a_2; a_3 || a_4$
↑ start code or address
↑ deploy (E, W code or addresses)

plan $a'_1; a'_2; a'_3$

different set of actions
guaranteeing property
required by the
other manager

if this is possible
 ok provided ...
⇓
 ok with \neq plan

if not possible
 ok provided ...
⇓
NOK